

Strains and stresses control in microelectronic devices: how to optimize the steps from design to manufacturing?

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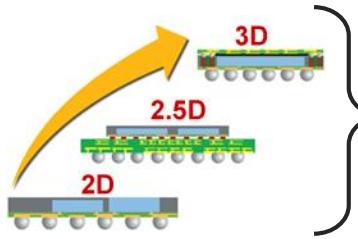
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Background

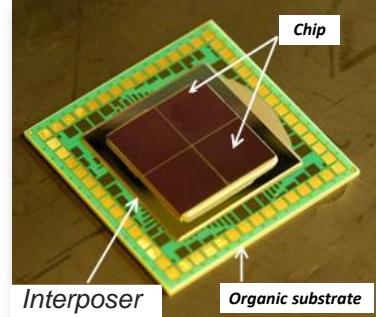
The control of strains is crucial to guarantee performance and reliability of devices

Integration = various types of stacking technologies



↗ electrical performance
↘ timing delays

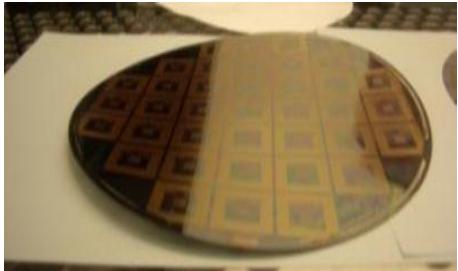
Multi-layer architecture



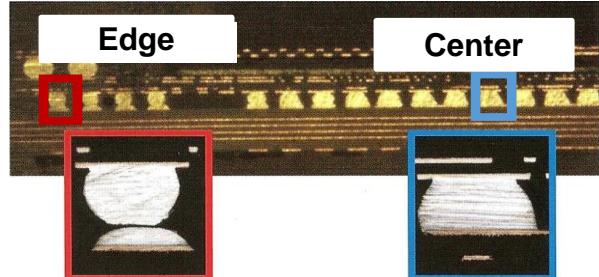
Potential problems during manufacturing steps :

1 – Size of wafers: optimize layers for automatic loading

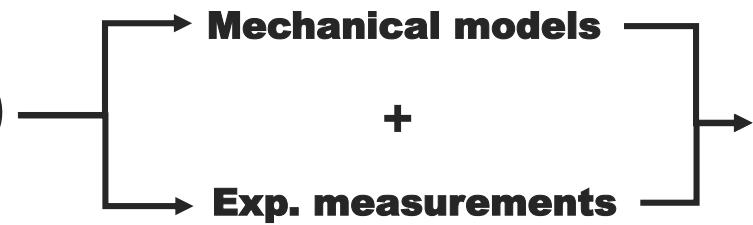
2 – Size of devices: optimize layers to prevent connection problems and difficulties with alignment (high T°)



$\varnothing = 300\text{mm}$
 $t \approx 775\mu\text{m}$



$30 \times 30\text{mm}^2$
 $t \approx 100\mu\text{m}$



Outline

Background

- 1. What about specifications?**
 - 2. Analytical model**
 - 3. What about materials behavior?**
 - 4. Experimental characterizations**
 - 5. Applications**
- ## Conclusion

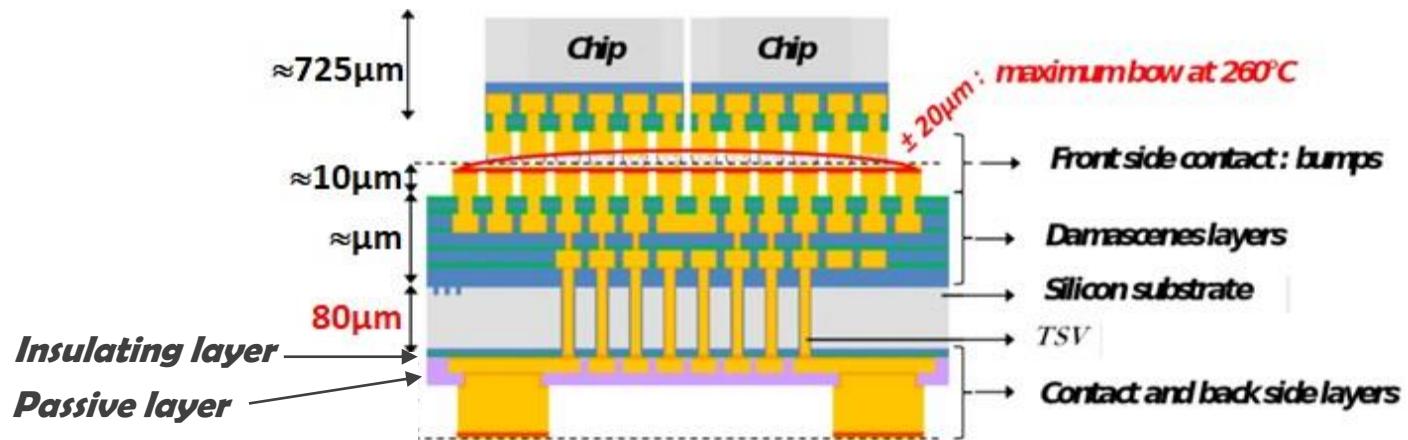


1 ■ What about specifications?



What about specifications ?

Example of an interposer device

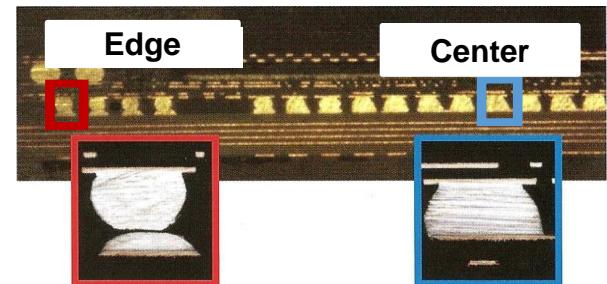


Potential problems during manufacturing steps :

- 1 – Size of wafers: optimize layers for automatic loading
- 2 – Size of devices: optimize layers to prevent connection problems and difficulties with alignment (high T°)



Maximum bow : $\pm 100\mu\text{m}$ at RT



Maximum bow : $\pm 20\mu\text{m}$ at 260°C



2 ■ Analytical model



Analytical model

“Theory of elasticity” for the stress determination in multilayers [1][2]

$$\varepsilon_{Tot} = \varepsilon_{th} + \varepsilon_{int} + \varepsilon_{el} \quad (1)$$

a – Thermal strains: $\varepsilon_{th}(T) = \int_{T_{dep}}^T \alpha \, dT \quad (2)$

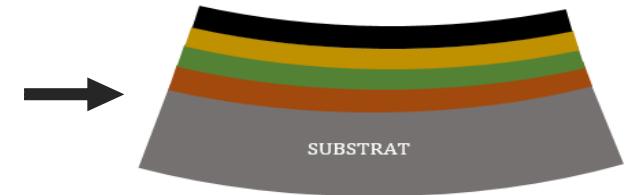
b – Elastic strains : $\varepsilon_{el} = \frac{(1 - \nu)}{E} \sigma \quad (3)$

c – Total strains: $\varepsilon_{Tot} = \varepsilon_0 - Z\kappa \quad (4)$

d – Stress in the layer i : (1-2-3-4 = 5)

$$\sigma_i(z) = \frac{E_i}{1 - \nu_i} \left[(\varepsilon_0 - z\kappa) - \int_{T_{dep}}^T \alpha_i \, dT - \varepsilon_{int_i} \right] \quad (5)$$

Layer deposition process



$$\begin{aligned} \sum_i F &= \int_0^{t_s} \sigma_s(z, T) \, dz + \int_{t_s}^{t_f+t_s} \sigma_f(z, T) \, dz = 0 \\ \sum_i M &= \int_0^{t_s} \sigma_s(z, T) \cdot z \, dz + \int_{t_s}^{t_f+t_s} \sigma_f(z, T) \cdot z \, dz = 0 \end{aligned}$$

We obtain : $\varepsilon_0(T) = f(E_f(T), \alpha_f(T), \varepsilon_{int_f})$

$$\kappa^{Tot}(T) = f(E_f(T), \alpha_f(T), \varepsilon_{int_f}) = \kappa^{th}(T) + \kappa^{int}$$

$$\sigma_i(z) = f(E_i(T), \alpha_i(T), \varepsilon_{int_i})$$

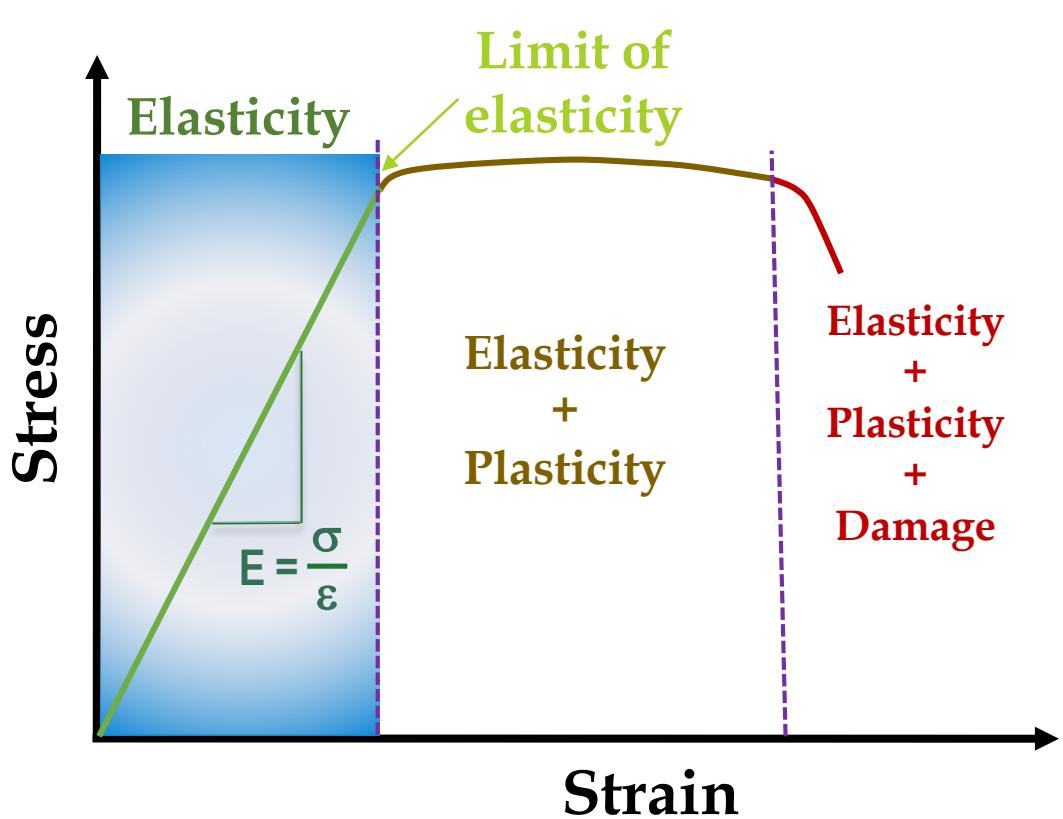
 **Sigmeps**



3 ■ What about materials behavior?

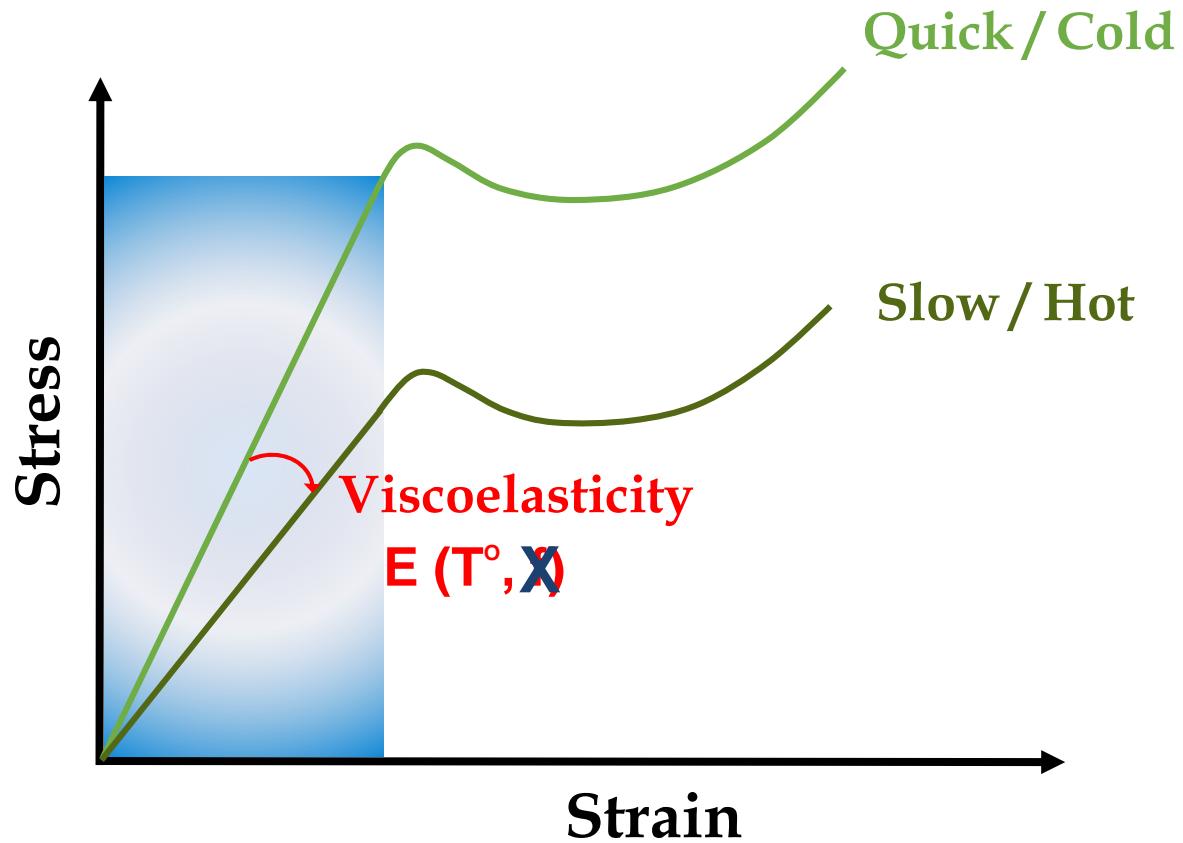


What about materials behavior ?



Elastic materials

(*Si, GaAs, Sapphire, Glass, SiO₂, SiN, ...*)

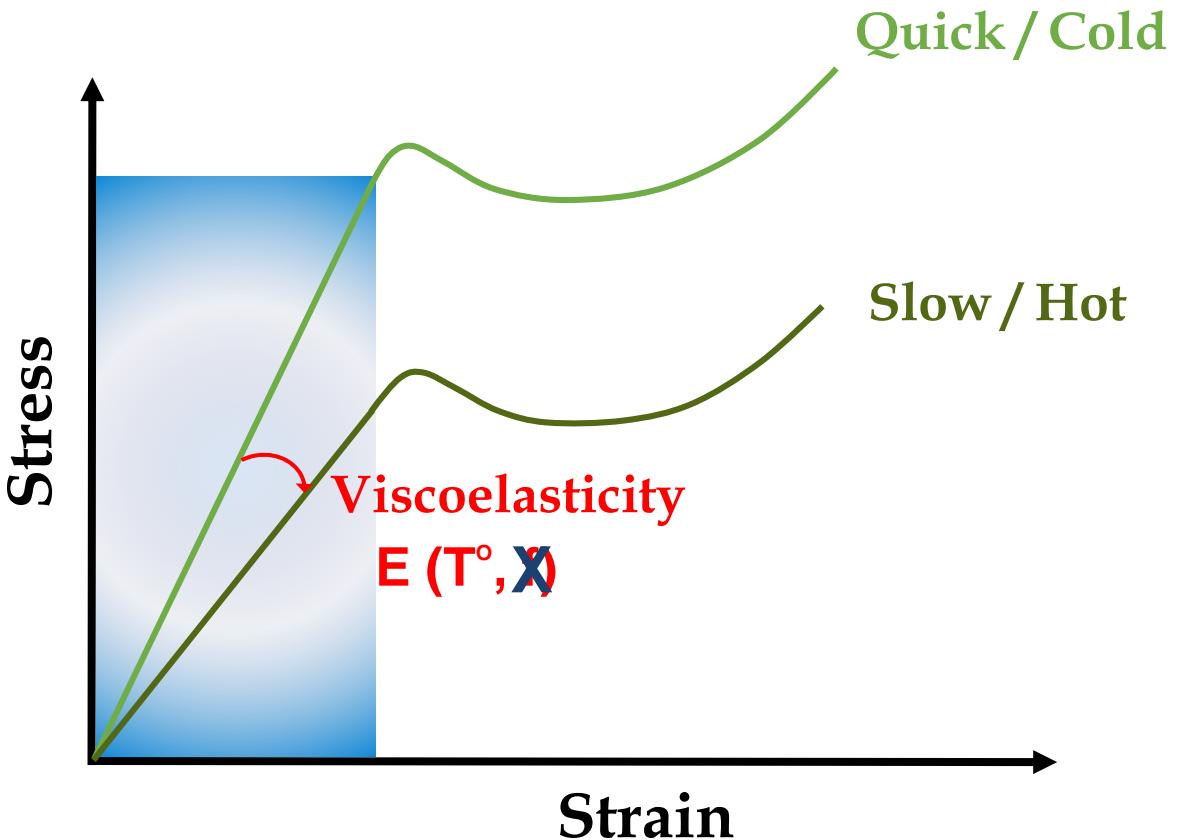
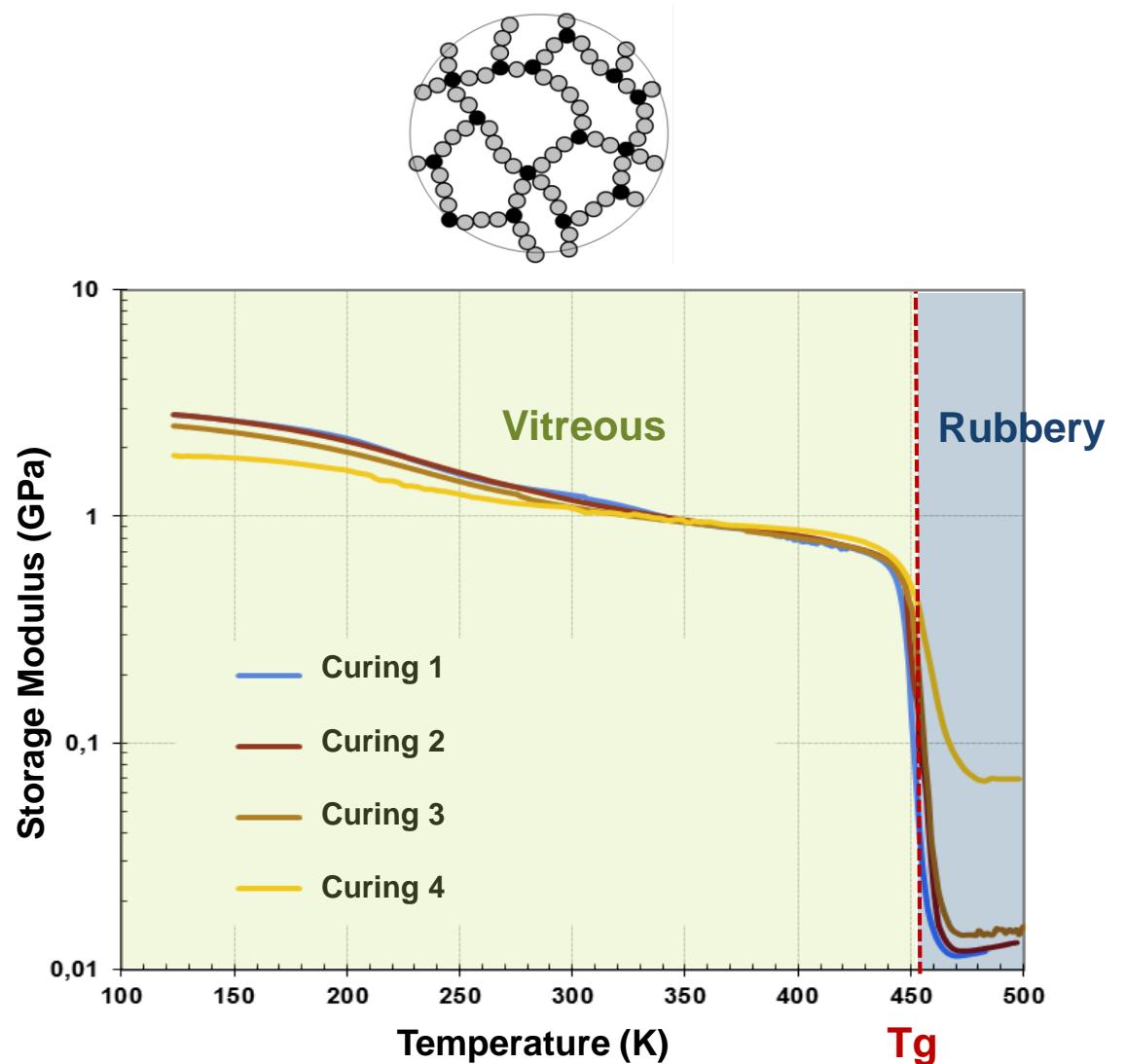


Viscoelastic materials

(*Polymers : glues, passives layers, molding, packaging...*)



What about materials behavior ?



Viscoelastic materials
(Polymers : glues, passives layers,
molding, packaging...)



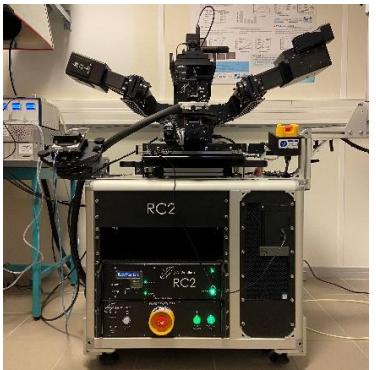
4 ■ Experimental characterizations



Experimental characterizations

Modulus E_i and coefficient of thermal expansion α_i of the film

Woollam RC2
Ellipsometer (T)



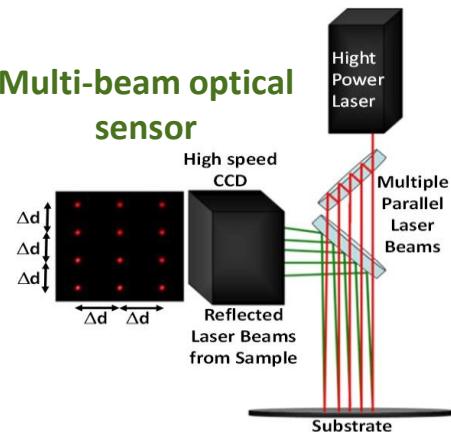
$\alpha_i +$

kSA MOS Thermal-scan

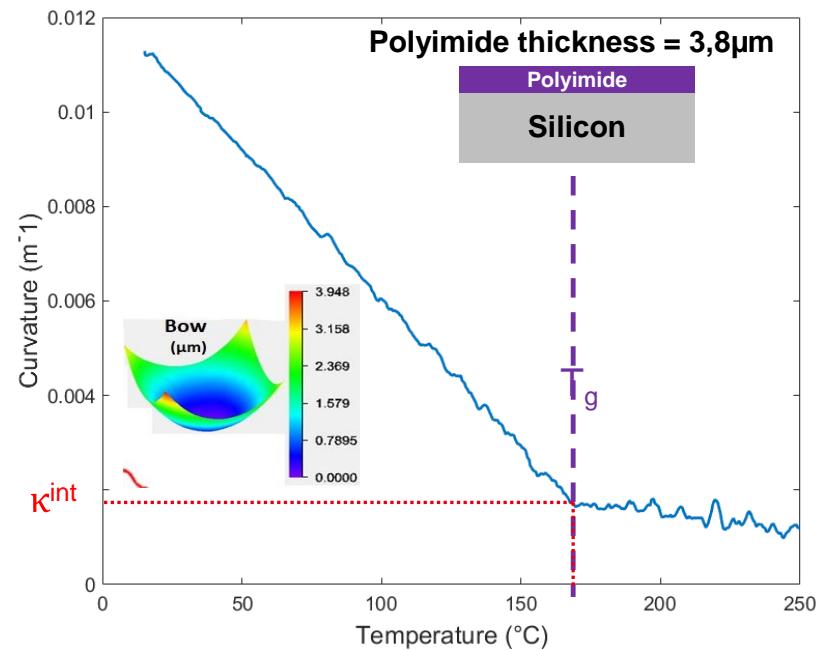


$E_i +$

Multi-beam optical sensor



Nanoindentation,
DMA, APiC (T)



Curvature at every temperature

$$a_i = \frac{6m_i(\alpha_{s,i} - \alpha_f)}{h_{s,i}(1 + h_i)} ; b = \frac{2h_i(2 + 3h_i + 2h_i^2)}{M_{s,i}} ; c = \frac{h_i^4}{M_{s,i}^2}$$

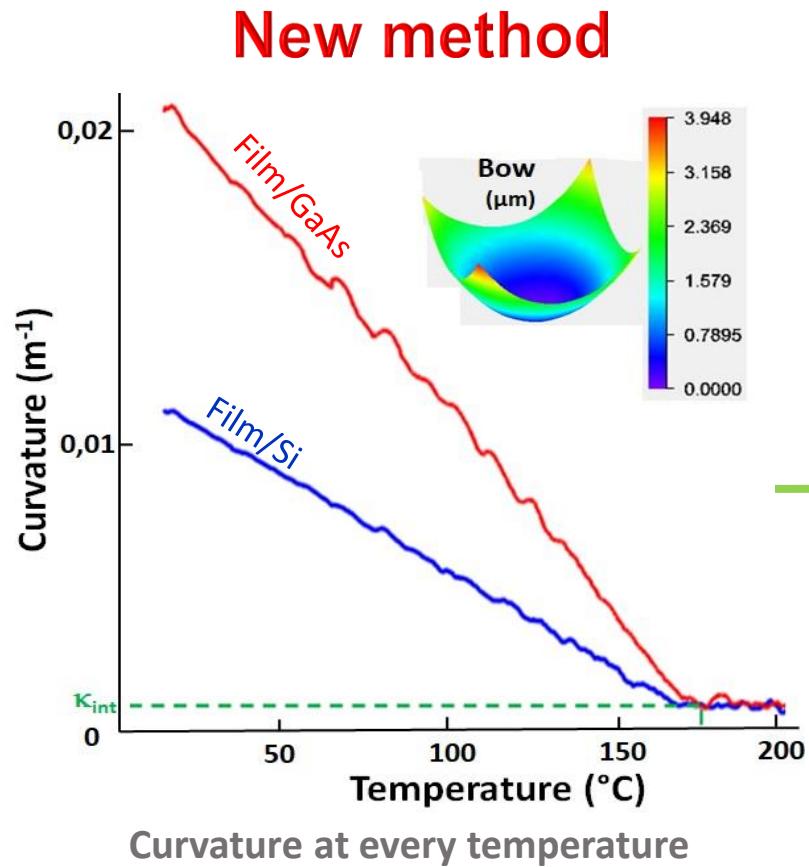
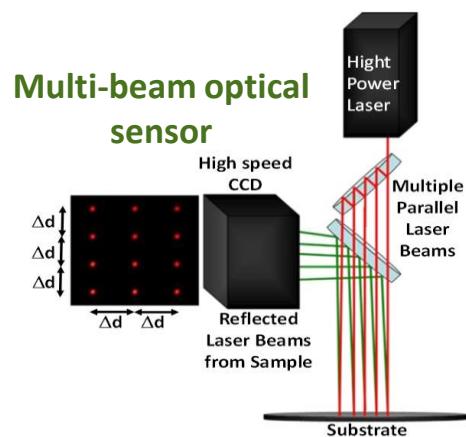
$$E_i = \frac{h_i(1 + h_i)}{1 + 2h_i m_i(2 + 3h_i + 2h_i^2) + h_i^4 m_i^2} = \frac{c_i M_f (\alpha_{s,i} - \alpha_f)}{1 + b_i M_f + c_i M_f^2}$$



Experimental characterizations

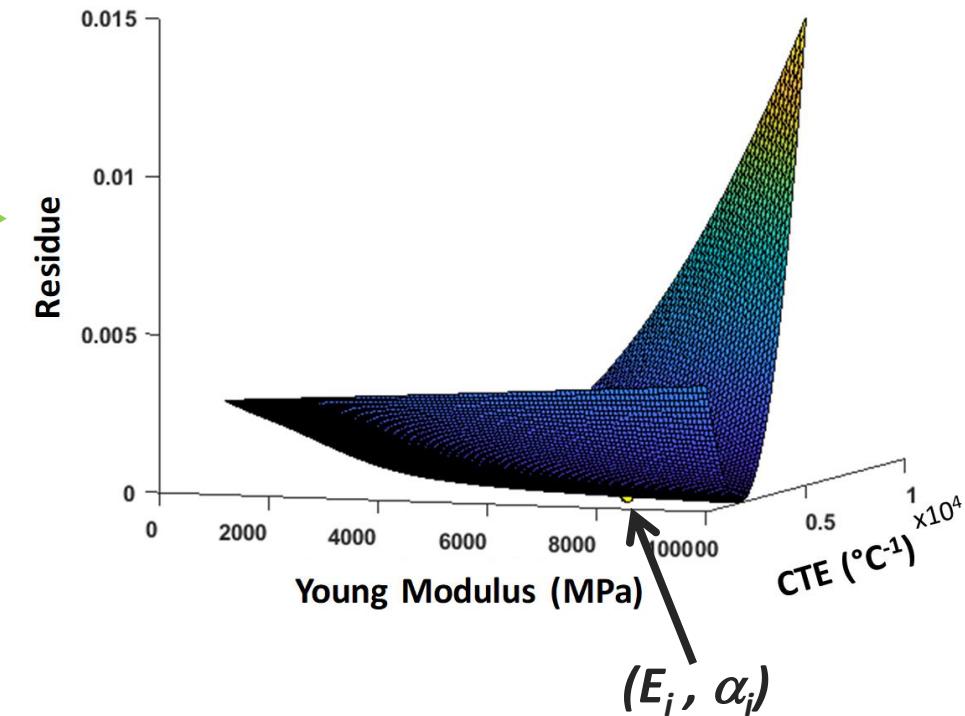
Modulus E_i and coefficient of thermal expansion α_i of the film

kSA MOS Thermal-scan



Residue:

$$R_{ijk} = \sum_k (\kappa_k^{ij} - \kappa_k^{exp})^2$$





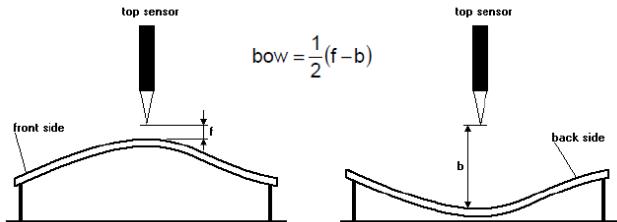
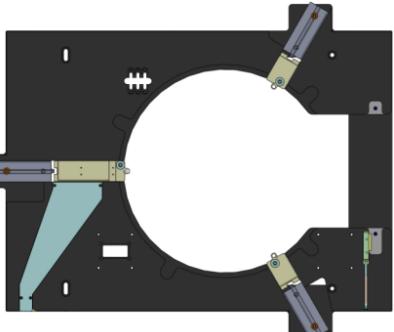
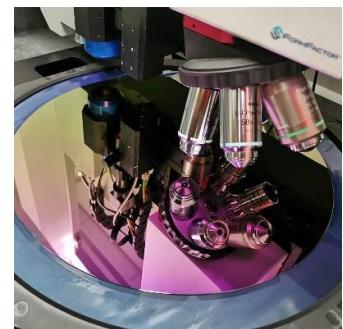
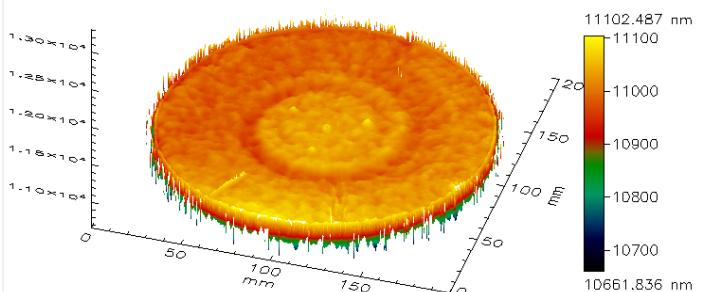
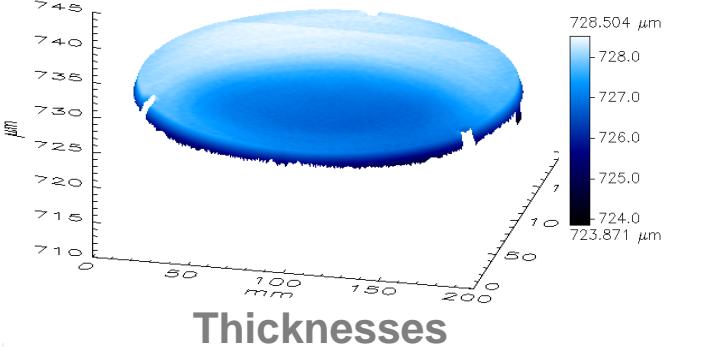
Experimental characterizations

Intrinsic strain ε_i of the film

FRT Microprof MFE



Dual chromatic confocal
+
IR interferometer sensors



Bow SEMI Standard

$$\sigma_f = -\frac{4E_s * t_s^2}{3t_f D^2} (B_{\text{after}} - B_{\text{before}})$$

$E_i \downarrow$

$$\varepsilon_{\text{Tot}_i}$$

$$\varepsilon_{\text{th}_i} = \int_{T_{\text{dep}}^i}^T \alpha_i \, dT$$

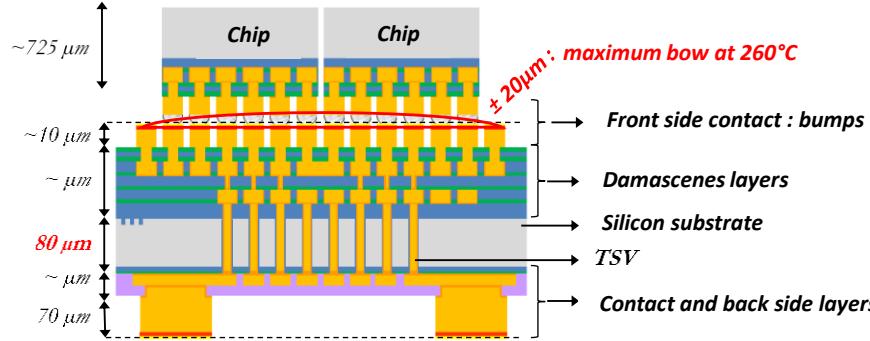
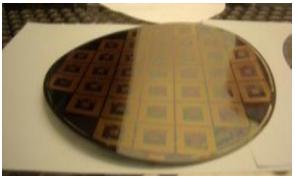
⇒ intrinsic strain : $\varepsilon_{\text{int}_i} = \varepsilon_{\text{Tot}_i} - \varepsilon_{\text{th}_i}$ of the film



5 ■ Applications

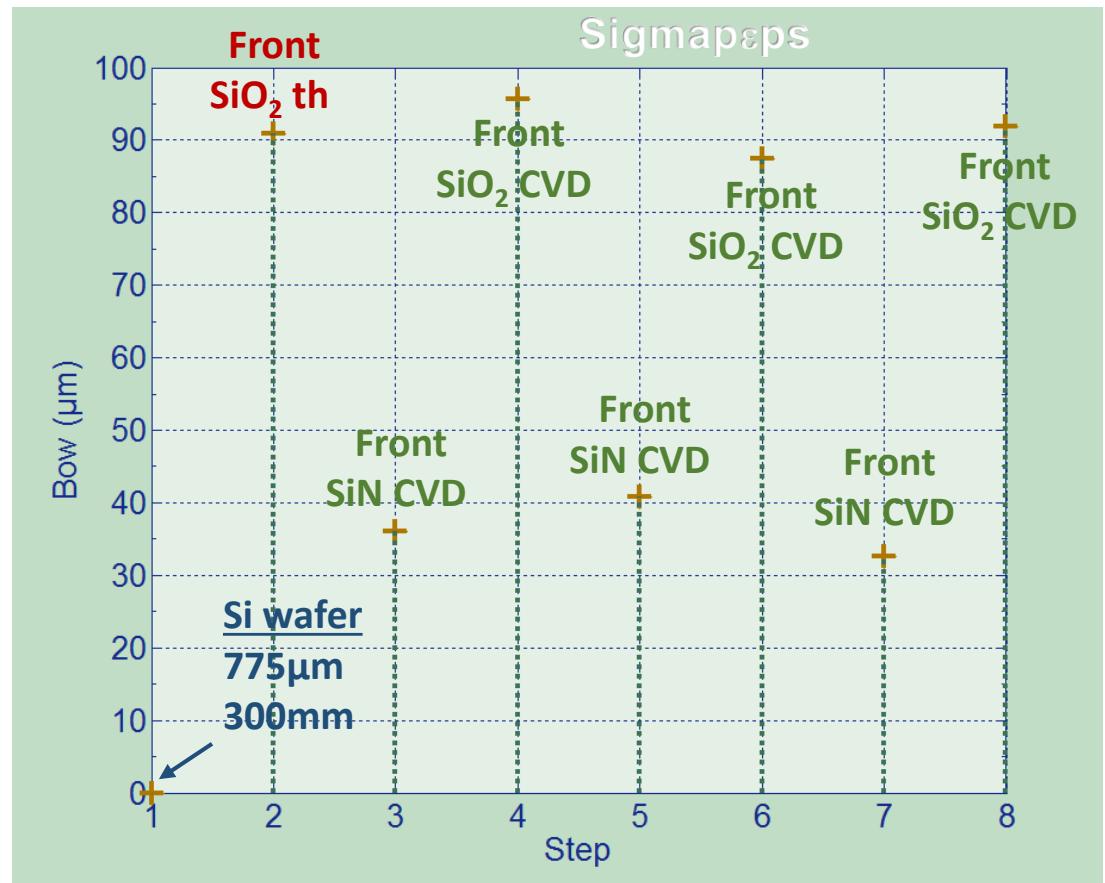
Application: the interposers

1 - Size of the wafer



→ Bow < 100µm at RT

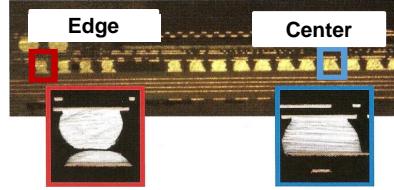
Material	Intrinsic strain ε_{int} (.10 ⁻³ s.u.)	Young Modulus E (GPa) and Poisson's ratio ν : (E ; ν)	CTE α (10 ⁻⁶ /°C)	Fonction
SiO ₂ {1fav}	-0.59	(70 ; 0.17)	0.55	TSV Isolating
SiN {1fav}	-4.8	(100 ; 0.25)	2.17	Dielectriques
SiO ₂ {2fav}	-0.39	(72 ; 0.17)	0.55	damasenes and passivation



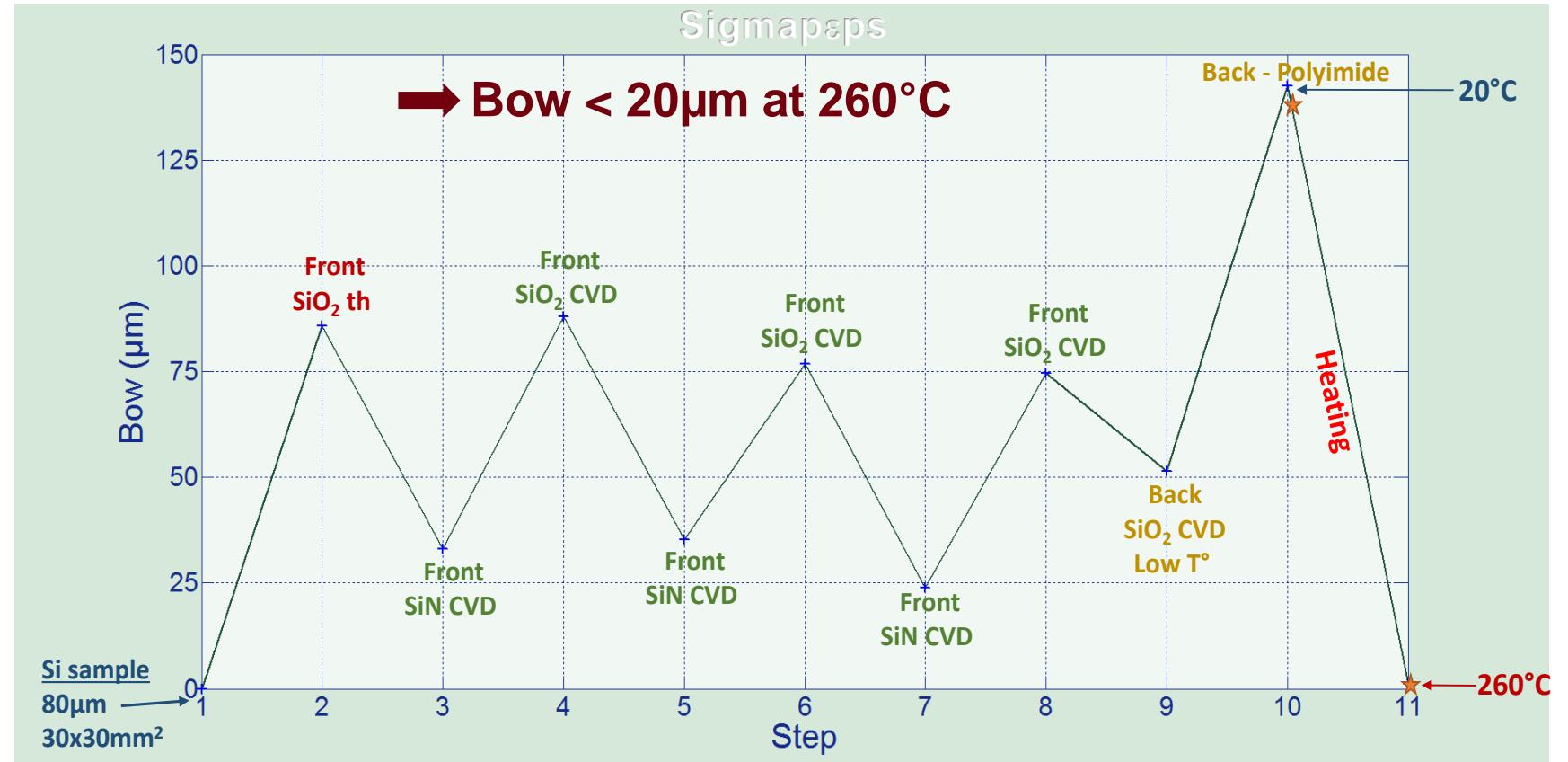


Application: the interposers

2 - Size of the device



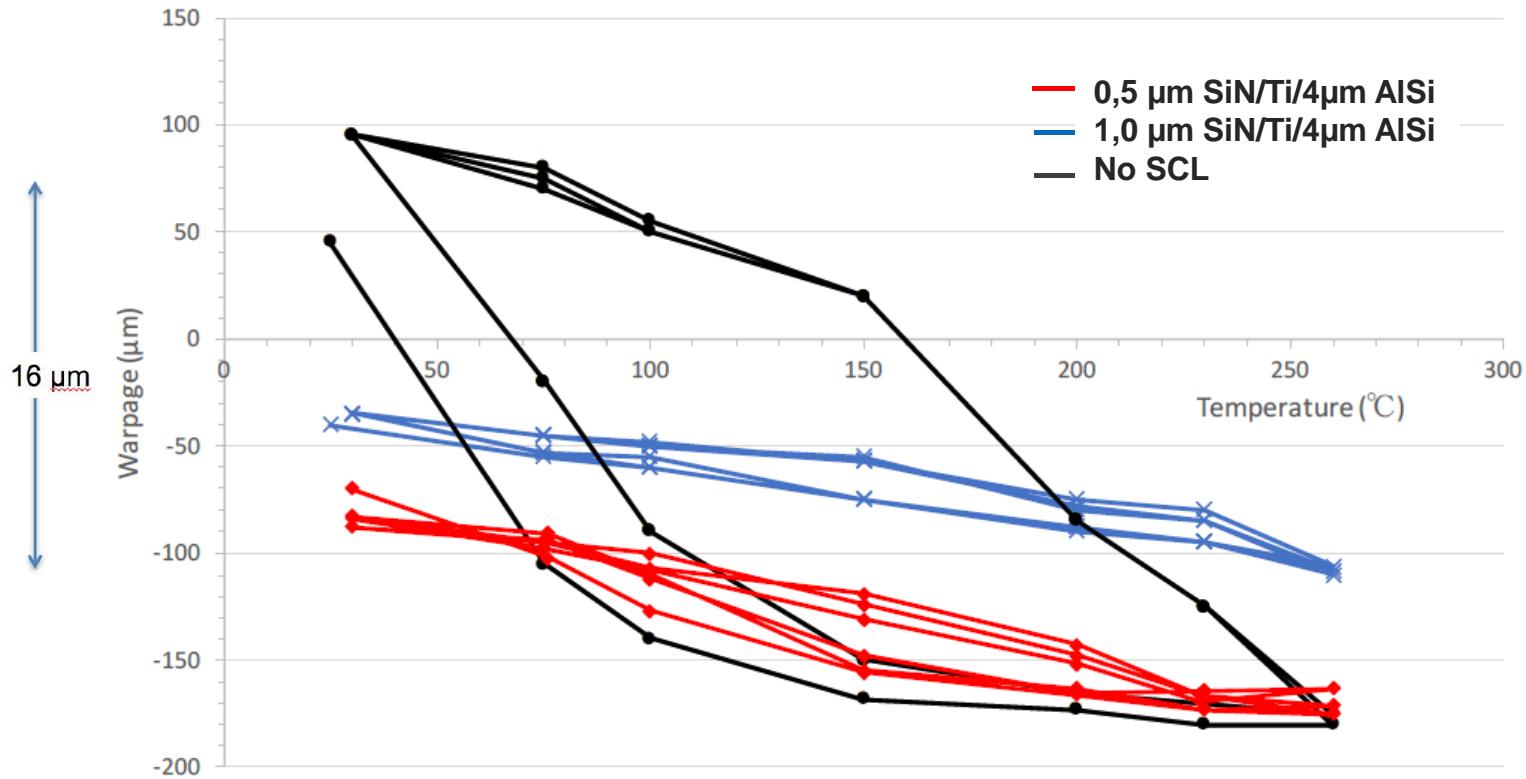
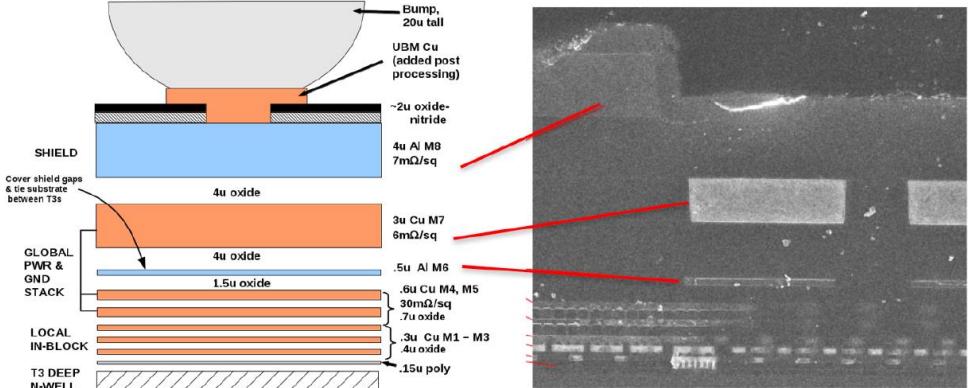
Material	Intrinsic strain $\varepsilon_{int} \cdot 10^{-3}$ s.u.)	Young Modulus E (GPa) and Poisson's ratio $\nu : (E ; \nu)$	CTE α ($10^{-6} / ^\circ\text{C}$)	Fonction
SiO ₂ {2far}	-0.59	(70 ; 0.17)	0.55	TSV Isolating
Polyimide	-0.023	Before Tg	(7,5 ; 0,4)	Passive layer
		After Tg	(0,14 ; 0,4)	





Application: for the University of Glasgow

Backside compensation layer for a FE-I4 ship telescope



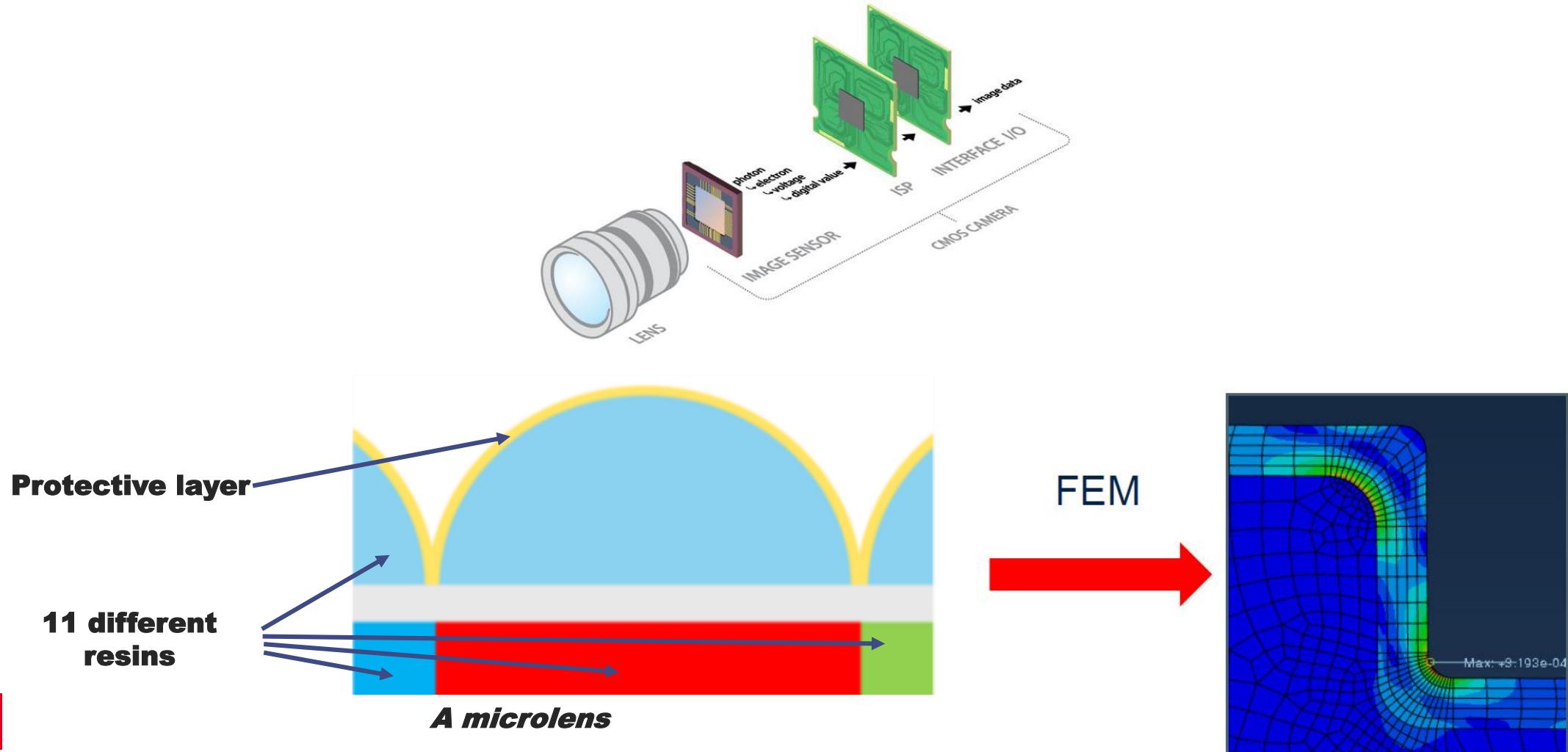
Bow in 100 μ m thick FEI4 die as a function of temperature for two SCL recipes



Application: for ST Microelectronics

Imager devices : characterization of resins with our double curvature methods

Objective: prevent potential cracks of the protective layer

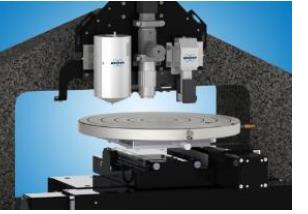
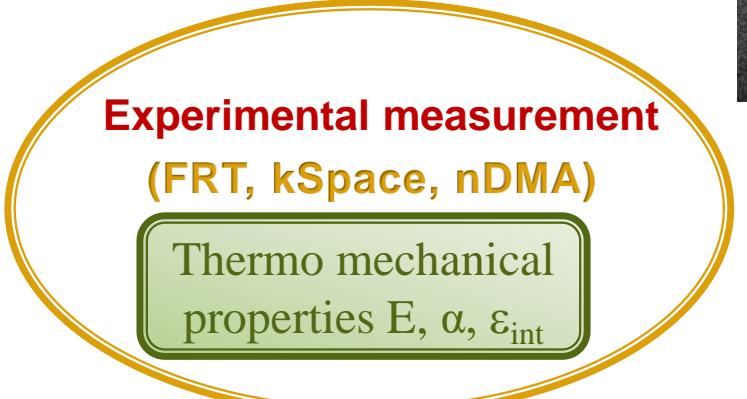




■ Conclusion



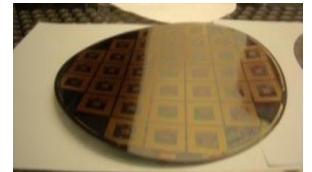
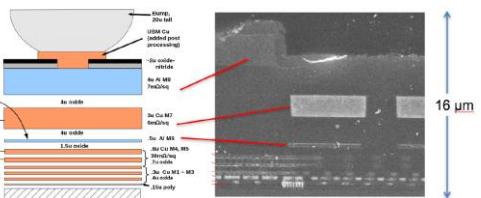
Conclusion



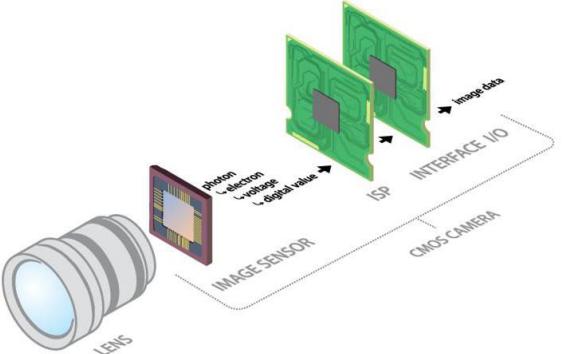
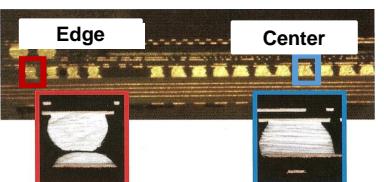
$$\sigma_i(z) = \frac{E_i}{1 - \nu_i} \frac{1}{(\varepsilon_0 - zk)} - \int_{r_{dep}}^T \alpha_i dT - \varepsilon_{inti}$$

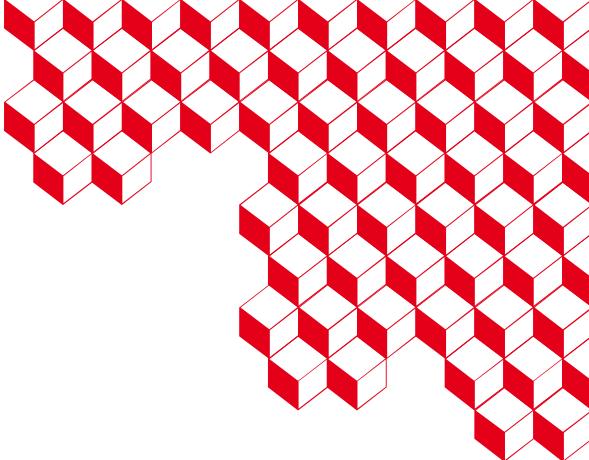
**Analytical simulation
Sigmap&ps**

$$\begin{aligned}\varepsilon_0(T) &= f(E_f(T), \alpha_f(T), \varepsilon_{intf}) \\ \kappa^{tot}(T) &= f(E_f(T), \alpha_f(T), \varepsilon_{intf}) \\ &= \kappa^{th}(T) + \kappa^{int}\end{aligned}$$



Manufacturing





Thanks for your attention !

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